Summary report of the 2022 ATAR course examination report: Mathematics Specialist

| Year | Number who sat | Number of absentees |
| :---: | :---: | :---: |
| 2022 | 1350 | 28 |
| 2021 | 1503 | 18 |
| 2020 | 1526 | 23 |
| 2019 | 1435 | 32 |

The number of candidates sitting and the number attempting each section of the examination can differ as a result of non-attempts across sections of the examination.

## Examination score distribution-Written



## Summary

Attempted by 1348 candidates
Mean 61.78\%
Max 97.76\%
Min 0.00\%
Section means were:

Section One: Calculator-free
Attempted by 1348 candidates
Section Two: Calculator-assumed
Attempted by 1346 candidates

Mean 71.14\%
Mean 24.90(/35) Max $35.00 \quad$ Min 0.00
Mean 56.75\%
Mean 36.88(/65) Max $63.49 \quad$ Min 0.00

## General comments

The 2022 Mathematics Specialist examination provided candidates with many opportunities to demonstrate their knowledge of standard techniques and related concepts. The mean score of $61.78 \%$ compared favourably with the 2021 mean of $60.77 \%$. The Calculator-free section was well received, as it provided some straightforward questions testing standard techniques. The Calculator-assumed section provided an appropriate balance of questions testing routine concepts and questions requiring a deeper level of understanding. The mean of $56.75 \%$ for the Calculator-assumed section perhaps reflected candidates not having the depth of understanding required.

Questions such as Question 6 part (c) and Question 19 part (c) required candidates to show a greater depth of understanding of some concepts. The distribution of marks indicated a very diverse cohort. There were a number of candidates that were not able to respond to many questions.

The length of the paper appeared to be appropriate. There was a significant decrease in the number of candidates who attempted to answer Question 19 part (c), though this may have been due to an inability to answer the question, rather than a time factor.

## Advice for candidates

- Show a clear sequence of ideas and write a clear conclusion. Markers should not be expected to search for the 'answer', or to construct meaning out of a solution for themselves.
- Check your work from one line to another. An example of this is omitting a negative sign in the next line of working.
- Be specific in explanations in the context of the question and refer directly to the relevant key words. Do not use the words 'it' or 'they', as this is meaningless.
- Ensure you include absolute value brackets when writing a natural logarithm anti-derivative.


## Advice for teachers

- Give students practise in solving algebraic inequalities.
- Develop students' understanding in 3D vectors to a more conceptual level. In particular, the case where three planes do not intersect in a unique point is an area of concern.


## Comments on specific sections and questions

## Section One: Calculator-free (48 Marks)

Candidates were able to answer the standard technique style of questions well. This was observed in:

- sketching the graph of the reciprocal of a function (Question 2 part (b))
- evaluating a definite integral using trigonometric identities (Question 3)
- integration using partial fractions (Question 4 part (b)).

Areas that were seen to cause difficulties were:

- determining the domain for the composition of a function (Question 1 part (b))
- writing the solution for the case where planes intersect in a line (Question 5 part (b)).

In Question 5 part (b), most candidates did not correctly specify the solutions in the case of planes intersecting in a line. This was true even for many of the higher scoring candidates. It was very common for candidates to cease working once they had stated that there were infinitely many solutions.

## Section Two: Calculator-assumed (86 Marks)

The performance on the Calculator-assumed section did not match that of the
Calculator-free work. The wider array of questions and concepts appeared to challenge a large number of candidates.

## Difficulties were observed with:

- forming the correct expression for the area of a regular hexagon (Question 8)
- algebraically working with a complex number equation (Question 9 part (b))
- expressing a given locus equation correctly (Question 9 part (c))
- dealing with motion where the velocity is given as function of displacement (Question 11)
- using correct mathematics or vector notation (Questions 10 and 19).

